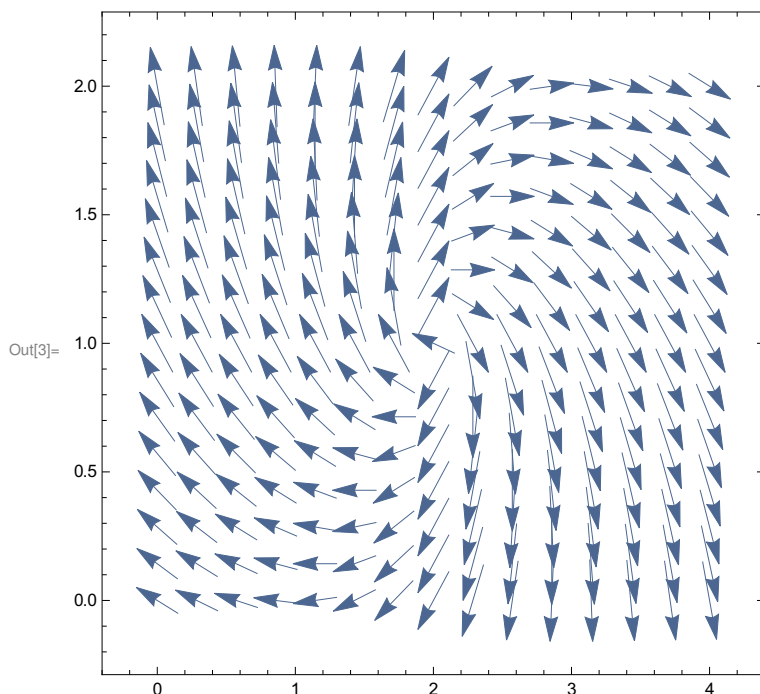


Direction Field

Brannon and Boyce 3.2.19

```
In[3]:= df = VectorPlot[{x + y - 3, -x + y + 1} / Norm[{x + y - 3, -x + y + 1}], {x, 0, 4}, {y, 0, 2}]
```



```
In[4]:= soln[xzero_?NumericQ, yzero_?NumericQ] :=  
  NDSolve[{dx'[t] == dx[t] + dy[t] - 3, dy'[t] == -dx[t] + dy[t] + 1,  
    dx[0] == xzero, dy[0] == yzero}, {dx, dy}, {t, -10, 10}]
```

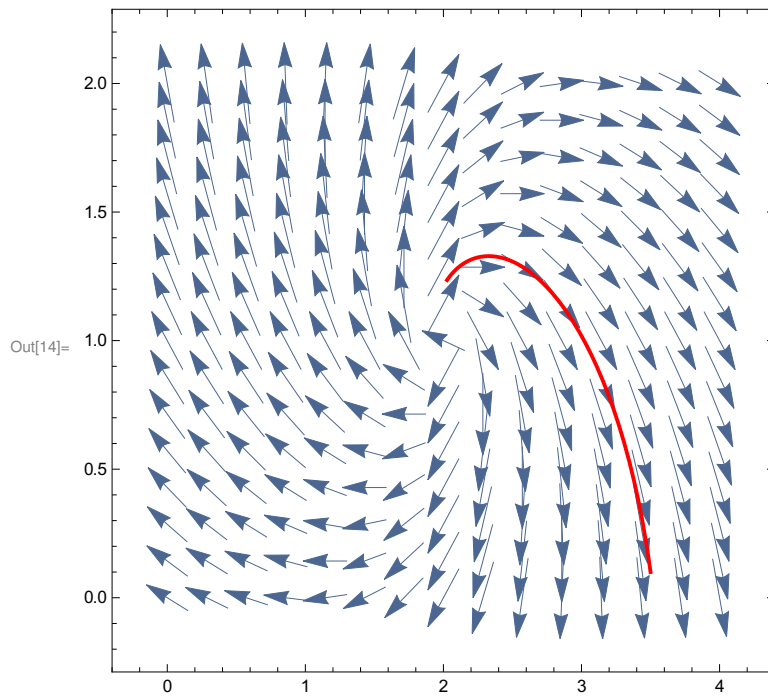
```
In[8]:= xx[t_?NumericQ, xzero_?NumericQ, yzero_?NumericQ] :=  
  dx[t] /. soln[xzero, yzero][[1]]  
yy[t_?NumericQ, xzero_?NumericQ, yzero_?NumericQ] := dy[t] /. soln[xzero, yzero][[1]]
```

```
In[10]:= xx[-1, 3.5, 0.1]
```

Out[10]= 2.57675

```
In[13]:= orbit1 = ParametricPlot[  
  {xx[s, 3.5, 0.1], yy[s, 3.5, 0.1]}, {s, -2, 0}, PlotStyle -> {Thick, Red}];
```

```
In[14]:= Show[df, orbit1]
```



The equilibrium solves $x+y = 3$ and $x-y = 1$. That is $(x^*, y^*) = (2, 1)$.